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15-18 /

$V -$

, $\alpha -$

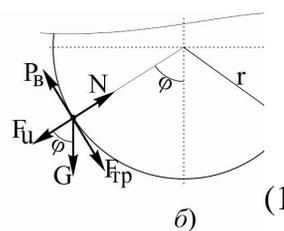
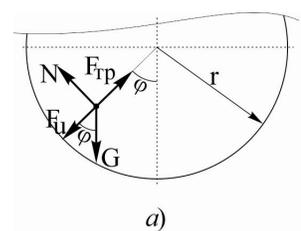
$$= k V^2,$$

$k -$

, $m -$

, $V -$

(. 1).



$$\left. \begin{aligned} F_u > F - G \sin \varphi - P, \\ N = G \cos \varphi_1, \end{aligned} \right\}$$

(1.1)

1 - ,

) -

) -

P -

$F_u -$

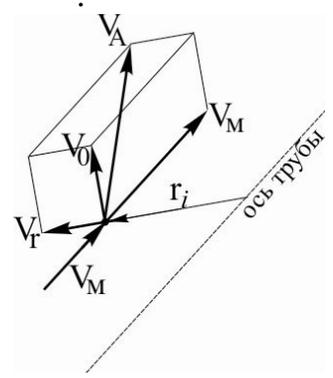
F G -

N' -

V (. 2),

V -

V -



$$(V_{r(\cdot)} - V_r)$$

2 -

(1.1)

$$F > Nf - G \sin \varphi,$$

$$\frac{V_{0(\cdot)}^2}{r} > gf \cos \varphi - g \sin \varphi, \quad (1.2)$$

$f -$
 $V_{0(\cdot)} -$

$$V_0 = V \operatorname{tg} \alpha_i = V (S / 2\pi r_i),$$

$V -$

$\alpha_i -$

$S -$

1.2

:

$$\frac{V^2 \cdot S^2}{4 \pi^2 r_i^3} > gf \cos \varphi - g \sin \varphi \quad (1.3)$$

$V = \text{const} \quad S = \text{const}$

(r_i)

1.2.

(r_i)

(. 1).

$$\left\{ \begin{array}{l} F_u > N - G \cos \varphi, \\ P > G \sin \varphi + F \end{array} \right. \quad (1.4)$$

$$F_u = m \frac{V_{0(\cdot)}^2}{R}; \quad P = mk V_{0(\cdot)}^2,$$

$V_{0(\cdot)} -$

1.4

:

$$\frac{P - G \cos \varphi}{F + G \sin \varphi} > f$$

$$tg^2 \alpha > \frac{gr(\sin \varphi + f \cos \varphi)}{rk_n V^2 - fV^2} \quad (1.5)$$

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